# The Physics and Cosmology of TeV Blazars

### Christoph Pfrommer<sup>1</sup>

in collaboration with

Avery E. Broderick<sup>2</sup>, Phil Chang<sup>3</sup>, Ewald Puchwein<sup>1</sup>, Volker Springel<sup>1</sup>

<sup>1</sup>Heidelberg Institute for Theoretical Studies, Germany <sup>2</sup>Perimeter Institute/University of Waterloo, Canada <sup>3</sup>University of Wisconsin-Milwaukee, USA

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### Outline

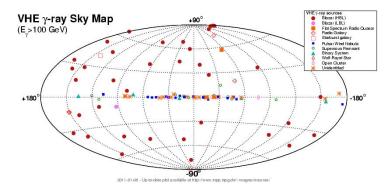
- Physics of blazar heating
  - Propagation of TeV photons
  - Plasma instabilities in beams
  - Implications
- The intergalactic medium
  - Blazar luminosity density
  - Thermal history of the IGM
  - Properties of blazar heating
- Galaxy clusters
  - Bimodality of core entropies
  - AGN feedback
  - Challenges and Conclusions



## The TeV gamma-ray sky

There are several classes of TeV sources:

- Galactic pulsars, BH binaries, supernova remnants
- Extragalactic mostly blazars, two starburst galaxies





## Propagation of TeV photons

1 TeV photons can pair produce with 1 eV EBL photons:

$$\gamma_{\mathsf{TeV}} + \gamma_{\mathsf{eV}} 
ightarrow \mathsf{e}^+ + \mathsf{e}^-$$

- mean free path for this depends on the density of 1 eV photons:
  - $\rightarrow \lambda_{\gamma\gamma} \sim$  (35...700) Mpc for z = 1...0
  - $\rightarrow$  pairs produced with energy of 0.5 TeV ( $\gamma = 10^6$ )
- these pairs inverse Compton scatter off the CMB photons:
  - $\rightarrow$  mean free path is  $\lambda_{\text{IC}} \sim \lambda_{\gamma\gamma}/1000$
  - $\rightarrow$  producing gamma-rays of  $\sim$  1 GeV

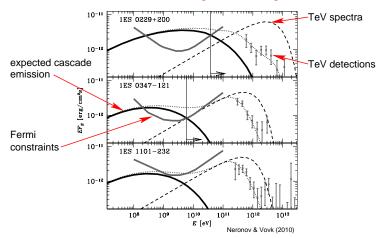
$$E \sim \gamma^2 E_{\rm CMB} \sim 1 \; {\rm GeV}$$

each TeV point source should also be a GeV point source



### What about the cascade emission?

Every TeV source should be associated with a 1-100 GeV gamma-ray halo – not seen! → limits on extragalactic magnetic fields?

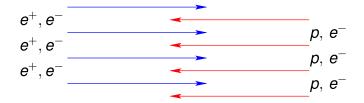




# Missing plasma physics?

How do beams of  $e^+/e^-$  propagate through the IGM?

- plasma processes are important
- interpenetrating beams of charged particles are unstable

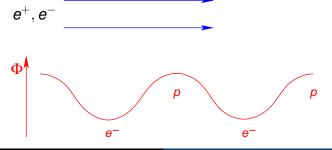




### Two-stream instability: mechanism

wave-like perturbation with  $\mathbf{k}||\mathbf{v}_{beam}$ , longitudinal charge oscillations in background plasma (Langmuir wave):

- initially homogeneous beam-e<sup>-</sup>: attractive (repulsive) force by potential maxima (minima)
- ullet  $e^-$  attain lowest velocity in potential minima o bunching up
- ullet  $e^+$  attain lowest velocity in potential maxima o bunching up

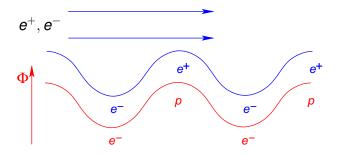




### Two-stream instability: mechanism

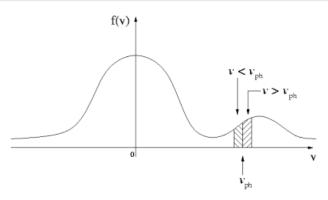
wave-like perturbation with  $\mathbf{k}||\mathbf{v}_{beam}$ , longitudinal charge oscillations in background plasma (Langmuir wave):

- beam-e<sup>+</sup>/e<sup>-</sup> couple in phase with the background perturbation: enhances background potential
- stronger forces on beam- $e^+/e^- \rightarrow$  positive feedback
- exponential wave-growth → instability





### Two-stream instability: momentum transfer

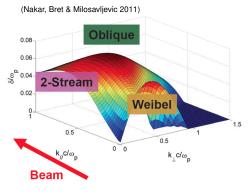


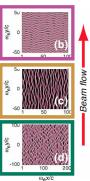
- particles with v \geq v\_{phase}: pair momentum → plasma waves: growing modes/instability
- particles with v \( \simeq \cup\_{phase} \): plasma wave momentum → pairs: damping (Landau damping)



# Oblique instability

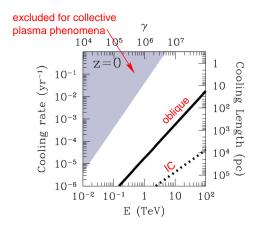
- k oblique to  $v_{\text{beam}}$ : real word perturbations don't choose "easy" alignment =  $\sum$  all orientations
- greater growth rate than two-stream: ultra-relativistic particles are easier to deflect than to change their parallel velocities







### Beam physics – growth rates



Broderick, Chang, C.P. (2012)

- consider a light beam penetrating into relatively dense plasma
- maximum growth rate

$$\sim$$
 0.4  $\gamma \, rac{ extit{n}_{\mathsf{beam}}}{ extit{n}_{\mathsf{IGM}}} \, \omega_{ extit{p}}$ 

- oblique instability beats IC by factor 10-100
- assume that instability grows at linear rate up to saturation



### TeV emission from blazars – a new paradigm

$$\gamma_{\rm TeV} + \gamma_{\rm eV} \ \to \ e^+ + e^- \ \to \ \left\{ \begin{array}{ll} {\rm IC \ off \ CMB} & \to \ \gamma_{\rm GeV} \\ \\ {\rm plasma \ instabilities} \ \to \ heating \ IGM \end{array} \right.$$

### absence of $\gamma_{\rm GeV}$ 's has significant implications for . . .

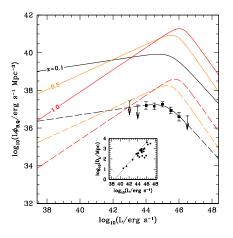
- intergalactic B-field estimates
- γ-ray emission from blazars: spectra, background

### additional IGM heating has significant implications for ...

- thermal history of the IGM: Lyman- $\alpha$  forest
- late time structure formation: dwarfs, galaxy clusters



# TeV blazar luminosity density: today

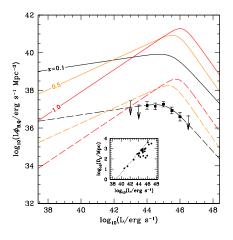


- collect luminosity of all 23 TeV blazars with good spectral measurements
- account for the selection effects (sky coverage, duty cycle, galactic occultation, TeV flux limit)
- TeV blazar luminosity density is a scaled version ( $\eta_B \sim$  0.2%) of that of quasars!

Broderick, Chang, C.P. (2012)



## Unified TeV blazar-quasar model



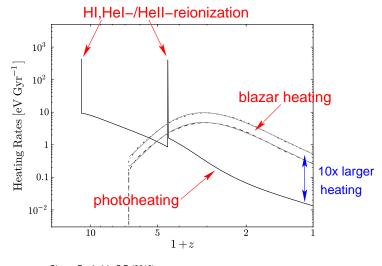
#### Quasars and TeV blazars are:

- regulated by the same mechanism
- contemporaneous elements of a single AGN population: TeV-blazar activity does not lag quasar activity
- → assume that they trace each other for all redshifts!

Broderick, Chang, C.P. (2012)



# Evolution of the heating rates





# Blazar heating vs. photoheating

- total power from AGN/stars vastly exceeds the TeV power of blazars
- $T_{\rm IGM} \sim 10^4$  K (1 eV) at mean density ( $z \sim 2$ )

$$arepsilon_{
m th} = rac{kT}{m_{
m p}c^2} \sim 10^{-9}$$

radiative energy ratio emitted by BHs in the Universe (Fukugita & Peebles 2004)

$$arepsilon_{
m rad} = \eta \, \Omega_{
m bh} \sim 0.1 imes 10^{-4} \sim 10^{-5}$$

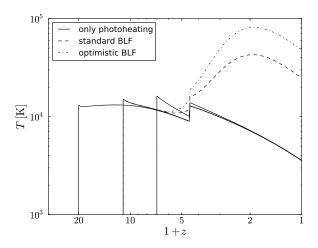
• fraction of the energy energetic enough to ionize H  $\scriptstyle\rm I$  is  $\sim$  0.1:

$$\varepsilon_{\text{UV}} \sim 0.1 \varepsilon_{\text{rad}} \sim 10^{-6} \quad \rightarrow \quad kT \sim \text{keV}$$

- photoheating efficiency  $\eta_{\rm ph} \sim 10^{-3} \rightarrow kT \sim \eta_{\rm ph} \, \varepsilon_{\rm UV} \, m_{\rm p} c^2 \sim {\rm eV}$  (limited by the abundance of H I/He II due to the small recombination rate)
- blazar heating efficiency  $\eta_{\rm bh}\sim 10^{-3}$   $\rightarrow$   $kT\sim\eta_{\rm bh}\,\varepsilon_{\rm rad}\,m_{\rm p}c^2\sim 10\,{\rm eV}$  (limited by the total power of TeV sources)



### Thermal history of the IGM

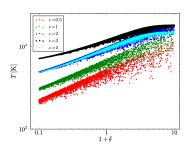




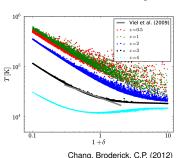
Chang, Broderick, C.P. (2012)

### Evolution of the temperature-density relation

### no blazar heating



### with blazar heating

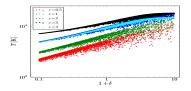


- blazars and extragalactic background light are uniform:
  - → blazar heating rate independent of density
  - → makes low density regions hot
  - ightarrow causes inverted temperature-density relation,  $\mathcal{T} \propto 1/\delta$

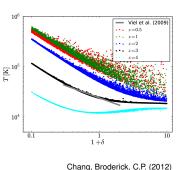


### Blazars cause hot voids

### no blazar heating



### with blazar heating

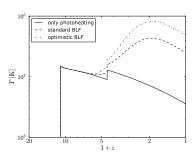


 blazars completely change the thermal history of the diffuse IGM and late-time structure formation

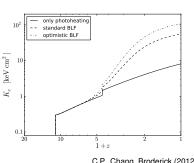


## Entropy evolution

#### temperature evolution



### entropy evolution

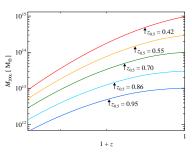


- C.P., Chang, Broderick (2012)
- evolution of entropy,  $K_e = kTn_e^{-2/3}$ , governs structure formation
- blazar heating: late-time, evolving, modest entropy floor

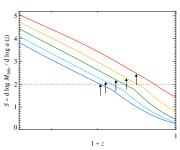


### When do clusters form?

### mass accretion history



#### mass accretion rates

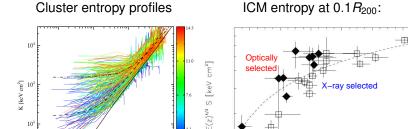


C.P., Chang, Broderick (2012)

• most cluster gas accretes after z = 1, when blazar heating can have a large effect (for late forming objects)!



# Entropy floor in clusters



 Do optical and X-ray/Sunyaev-Zel'dovich cluster observations probe the same population? (Hicks+ 2008, Planck Collaboration 2011)

100



Hicks+ (2008)

12

1000

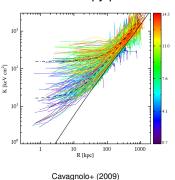
Cavagnolo+ (2009)

R [kpc]

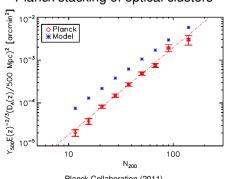
Tx [keV]

## Entropy floor in clusters





#### Planck stacking of optical clusters



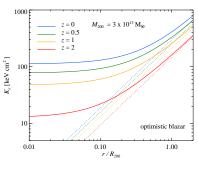
Planck Collaboration (2011)

 Do optical and X-ray/Sunyaev-Zel'dovich cluster observations probe the same population? (Hicks+ 2008, Planck Collaboration 2011)

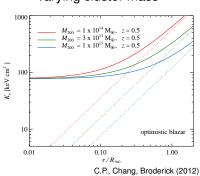


## Entropy profiles: effect of blazar heating





#### varying cluster mass

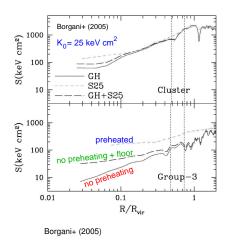


**assume** big fraction of intra-cluster medium collapses from IGM:

- redshift-dependent entropy excess in cores
- greatest effect for late forming groups/small clusters



# Gravitational reprocessing of entropy floors

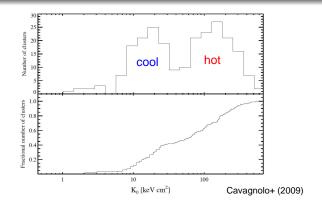


- greater initial entropy K<sub>0</sub>
   → more shock heating
   → greater increase in K<sub>0</sub>
   over entropy floor
- net  $K_0$  amplification of 3-5
- expect:

$$\label{eq:keV} \begin{split} \text{median } & \textit{K}_{\text{e},0} \sim 150\,\text{keV}\,\text{cm}^2 \\ \text{max.} & \textit{K}_{\text{e},0} \sim 600\,\text{keV}\,\text{cm}^2 \end{split}$$

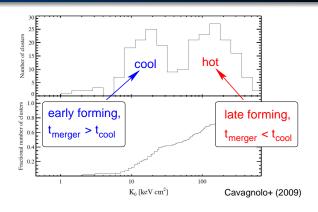


### Cool-core versus non-cool core clusters



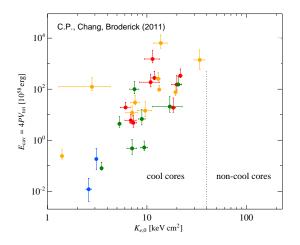


### Cool-core versus non-cool core clusters

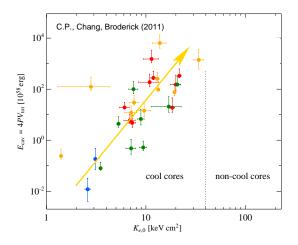


- time-dependent preheating + gravitational reprocessing
   → CC-NCC bifurcation (two attractor solutions)
- need hydrodynamic simulations to confirm this scenario

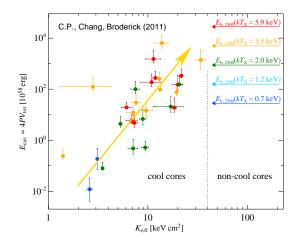




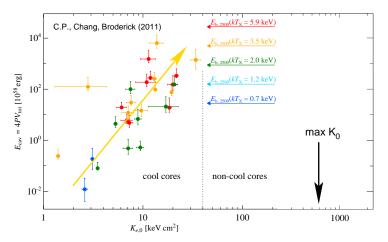












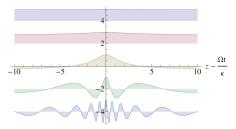
AGNs cannot transform CC to NCC clusters (on a buoyancy timescale)



## Challenges to the Challenge

### Challenge #1 (unknown unknowns): inhomogeneous universe

- universe is inhomogeneous and hence density of electrons change as function of position
- could lead to loss of resonance over length scale 
   ≪ spatial growth length scale (Miniati & Elyiv 2012)
- we have reasons to believe that the instability is not appreciably slowed in the presence of even dramatic inhomogeneities



plasma eigenmodes for the Lorentzian background case



## Challenges to the Challenge

### Challenge #1 (unknown unknowns): inhomogeneous universe

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- we have reasons to believe that the instability is not appreciably slowed in the presence of even dramatic inhomogeneities

### Challenge #2 (known unknowns): non-linear saturation

- we assume that the non-linear damping rate = linear growth rate
- effect of wave-particle and wave-wave interactions need to be resolved
- $\bullet$  Miniati and Elyiv (2012) claim that the nonlinear damping rate is  $\ll$  linear growth rate



# Conclusions on blazar heating

- explains puzzles in high-energy astrophysics:
  - lack of GeV bumps in blazar spectra without IGM B-fields
  - unified TeV blazar-quasar model explains Fermi source counts and extragalactic gamma-ray background
- novel mechanism; dramatically alters thermal history of the IGM:
  - uniform and z-dependent preheating
  - rate independent of density  $\rightarrow$  inverted  $T-\rho$  relation
  - ullet quantitative self-consistent picture of high-z Lyman-lpha forest
- significantly modifies late-time structure formation:
  - group/cluster bimodality of core entropy values
  - suppresses late dwarf formation (in accordance with SFHs):
     "missing satellites", void phenomenon, H I-mass function



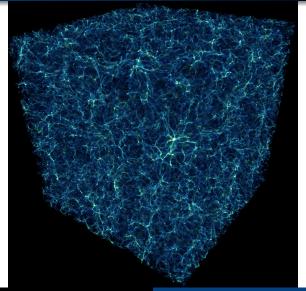
# Simulations with blazar heating

Puchwein, C.P., Springel, Broderick, Chang (2012):

- $L = 15h^{-1}$ Mpc boxes with  $2 \times 384^3$  particles
- one reference run without blazar heating
- three with blazar heating at different levels of efficiency (address uncertainty)
- used an up-to-date model of the UV background (Faucher-Giguère+ 2009)

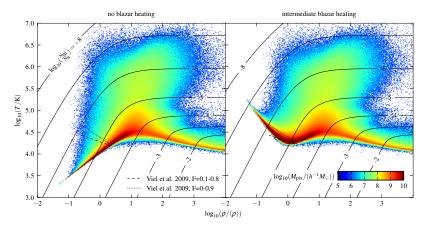


## The intergalactic medium



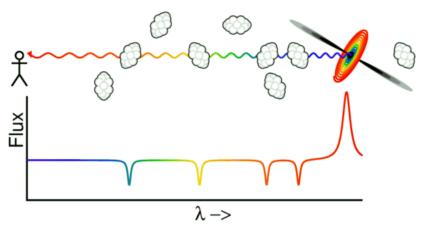


# Temperature-density relation



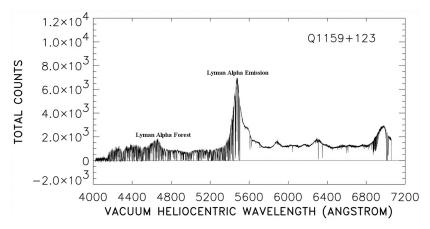


# The Lyman- $\alpha$ forest



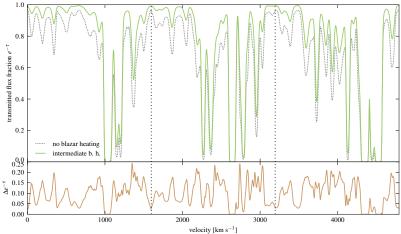


## The observed Lyman- $\alpha$ forest

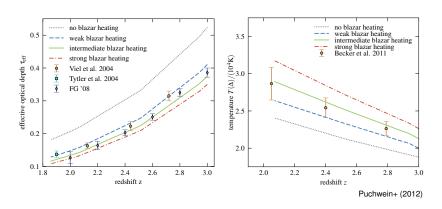




# The simulated Ly- $\alpha$ forest



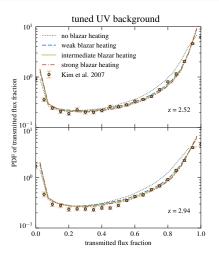
# Optical depths and temperatures



Redshift evolutions of effective optical depth and IGM temperature match data only with additional heating, e.g., provided by blazars!



# Ly- $\alpha$ flux PDFs and power spectra

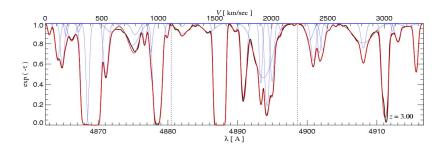


tuned UV background z = 2.07 $10^{-2}$ no blazar heating weak blazar heating intermediate blazar heating power spectrum  $\frac{k}{\pi} \times P_{1D}(k)$ strong blazar heating z = 2.52Kim et al. 2004  $10^{-2}$  $10^{-1}$ k [ s km<sup>-1</sup>]





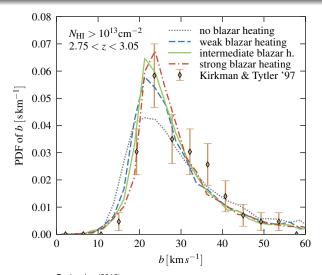
## Voigt profile decomposition



- ullet decomposing Lyman-lpha forest into individual Voigt profiles
- allows studying the thermal broadening of absorption lines



## Voigt profile decomposition – line width distribution





## Lyman- $\alpha$ forest in a blazar heated Universe

improvement in modelling the Lyman- $\alpha$  forest is a direct consequence of the peculiar properties of blazar heating:

- heating rate independent of IGM density  $\rightarrow$  naturally produces the inverted  $T-\rho$  relation that Lyman- $\alpha$  forest data demand
- recent and continuous nature of the heating needed to match the redshift evolutions of all Lyman- $\alpha$  forest statistics
- magnitude of the heating rate required by Lyman- $\alpha$  forest data  $\sim$  the total energy output of TeV blazars (or equivalently  $\sim$  0.2% of that of quasars)



# Dwarf galaxy formation - Jeans mass

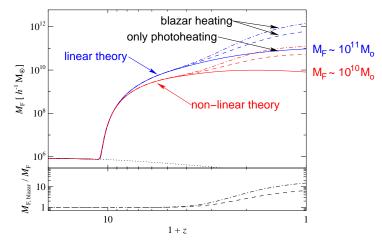
- thermal pressure opposes gravitational collapse on small scales
- characteristic length/mass scale below which objects do not form
- hotter IGM → higher IGM pressure → higher Jeans mass:

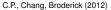
$$M_J \propto \frac{c_{\rm s}^3}{
ho^{1/2}} \propto \left(\frac{T_{\rm IGM}^3}{
ho}\right)^{1/2} \quad o \quad \frac{M_{J,{
m blazar}}}{M_{J,{
m photo}}} pprox \left(\frac{T_{
m blazar}}{T_{
m photo}}\right)^{3/2} \gtrsim 30$$

- ightarrow depends on instantaneous value of  $c_s$
- "filtering mass" depends on full thermal history of the gas: accounts for delayed response of pressure in counteracting gravitational collapse in the expanding universe
- apply corrections for non-linear collapse



# Dwarf galaxy formation - Filtering mass

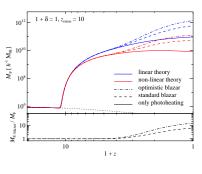




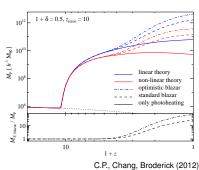


# Peebles' void phenomenon explained?

#### mean density



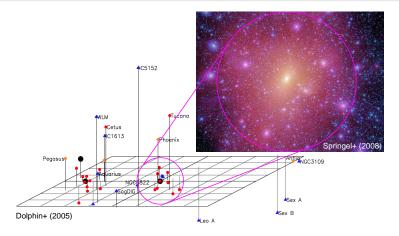
#### void, $1 + \delta = 0.5$



- blazar heating efficiently suppresses the formation of void dwarfs within existing DM halos of masses  $< 3 \times 10^{11} \, {\rm M_\odot} \ (z=0)$
- may reconcile the number of void dwarfs in simulations and the paucity of those in observations



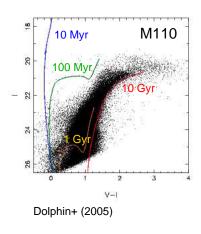
# "Missing satellite" problem in the Milky Way

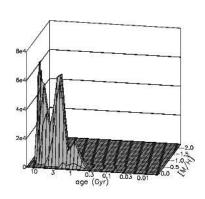


Substructures in cold DM simulations much more numerous than observed number of Milky Way satellites!



## When do dwarfs form?

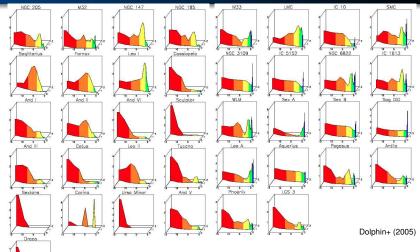




isochrone fitting for different metallicities  $\rightarrow$  star formation histories



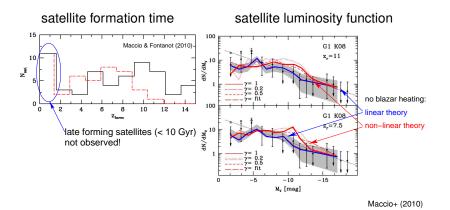
### When do dwarfs form?



red:  $\tau_{form} > 10$  Gyr, z > 2

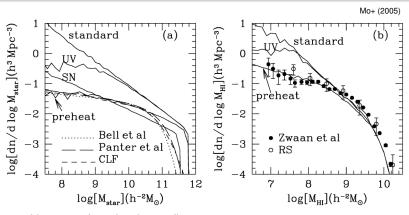


# Milky Way satellites: formation history and abundance



 blazar heating suppresses late satellite formation, may reconcile low observed dwarf abundances with CDM simulations

### Galactic H I-mass function



- H I-mass function is too flat (i.e., gas version of missing dwarf problem!)
- photoheating and SN feedback too inefficient
- IGM entropy floor of  $K \sim 15 \, \text{keV cm}^2$  at  $z \sim 2 3 \, \text{successful!}$

